## QUESTION

Show that if $\lambda$ is a non-zero eigenvalue of the invertible $n \times n$ matrix $A$ then $\lambda^{-1}$ is an eigenvalue of $A^{-1}$. Illustrate the theorem with a matrix of your choice.

ANSWER
If $A \mathbf{x}=\lambda \mathbf{x}$ then $\frac{1}{\lambda} \mathbf{x}=A^{-1} \mathbf{x}$. Any invertible matrix will do for the illustration (but one hopes that students will not choose a $1 \times 1$ matrix).

